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3.1 Methodology

The study adopted a mixed-methods design, combining quantitative survey data with qualitative interviews. The rationale for this design was that neither method alone could capture both the prevalence of the phenomena and the lived experience of those who experience them. Quantitative data provided a baseline estimate of prevalence and allowed comparison across subgroups; qualitative data provided depth, context, and participants' own interpretations of the phenomena they experienced.

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3.2 Sampling

The sample was drawn from three universities in a single region, selected to maximise variation in institutional size and student demographics. Inclusion criteria were enrolment in a full-time undergraduate programme and age 18 or above. Exclusion criteria were enrolment in postgraduate programmes and prior participation in a pilot study. Recruitment was conducted through student mailing lists and posters on campus, with participation voluntary and unrewarded.

3.2.1 Sample size

Sample size was determined by the requirements of the planned analyses. For the regression analysis, a minimum of ten cases per predictor was required, giving a target of 320 for the eight predictors. For the qualitative component, interviews were conducted until thematic saturation was judged to have been reached, defined as the point at which no new themes were identified in two consecutive interviews.

3.2.2 Recruitment

Recruitment was conducted through student mailing lists and posters on campus, with participation voluntary and unrewarded. Interested students were directed to an online screening form that confirmed eligibility and collected contact details for those who consented to be interviewed.

3.3 Instrument

The survey instrument was a self-administered questionnaire in English, comprising 42 items across four sections: demographics, prior experience, current practice, and attitudes. Items were drawn from established scales where available and adapted where necessary. The instrument was piloted with 12 students and revised on the basis of their feedback before the main data collection.

3.3.1 Reliability

Internal consistency was assessed by Cronbach's alpha. Values above 0.70 were considered acceptable, values between 0.60 and 0.70 were considered borderline, and values below 0.60 were considered unacceptable. Two items were dropped from the attitudes scale because their inclusion reduced the alpha below 0.60.

3.3.2 Validity

Content validity was established by consultation with three experts in the field, who rated each item for relevance and clarity. Construct validity was assessed by exploratory factor analysis, which confirmed the four-factor structure of the attitudes scale and the single-factor structure of the prior experience scale.

3.4 Analysis

Quantitative data were analysed in SPSS version 27. Descriptive statistics were reported for all variables. Bivariate associations were tested by chi-square for categorical variables and by independent-samples t-tests for continuous variables. Multivariable logistic regression was used to identify independent predictors of the outcome, with variables entered simultaneously and retained if they reached $p < 0.05$.

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